

# SOLUTION BOOKLET

## 10th moving 11th

SUNDAY, 01 OCTOBER 2023

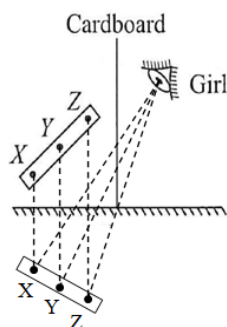
### SECTION – A

#### EASY LEVEL

#### PHYSICS

**Sol.1 [B]** Image of man Y formed at 14 m behind the plane mirror, so image of man Y will be at a distance of 16m from man X.

**Sol.2 [C]** As when the cardboard is removed vertically the image of Z will be seen first and image of X will be seen last.



**Sol.3 [C]** Diamond to glass, glass to water & water to air. As we know T.I.R. takes place when light rays goes from optically denser to optically rarer medium.

**Sol.4 [A]** Image formed by a plane mirror is virtual, erect, laterally inverted and at same distance from mirror and of same size as that of object.

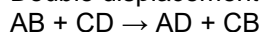
**Sol.5 [D]** Image is formed by a large number of rays coming from object. So if any part of lens is covered some rays will be blocked which decreases the intensity of light. hence brightness of image decreases.

**Sol.6 [B]**

#### CHEMISTRY

**Sol.7 [B]** A double displacement reaction is a type of reaction where part of one reactant is replaced by part of another reactant.

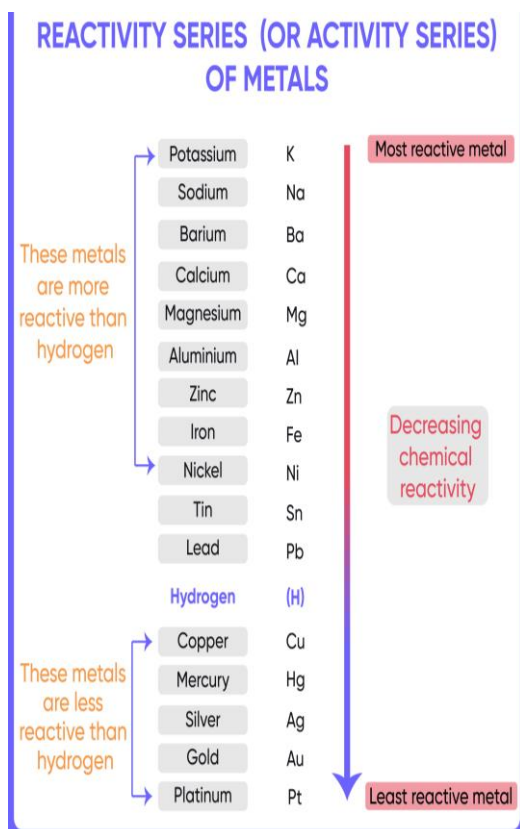
Double displacement reaction take the form:



**Sol.8 [D]** Metal is that which complete its octet by loose electrons  
Non-Metal is that which complete its octet by gain electrons  
X have completed octet  
Y complete its octet by gain.  
Z complete its octet by loose.

**Sol.9 [B]** Because zinc is more reactive than copper so zinc replace copper and zinc gets oxidized and act as reducing agent.

Sol.10 [B]



Sol.11 [C] Redox reaction is that type of reaction in which both oxidation and reduction occur. Third reaction is neutralisation reaction.

Sol.12 [A] Acid + Metal  $\longrightarrow$  Salt + Hydrogen.

### BIOLOGY

Sol.13 [D]

Sol.14 [C]

Sol.15 [B]

Sol.16 [B]

Sol.17 [D]

Sol.18 [B]

Sol.19 [B]

Sol.20 [A]

Sol.21 [D]

Sol.22 [D]

Sol.23 [B]

Sol.24 [B]

### MATHS

Sol.25 [A] Because  $\triangle OAP$  is right angle triangle

Sol.26 [C]  $\triangle ADE \sim \triangle ACB$  (by AAA rule)

$$\text{so } \frac{DE}{BC} = \frac{AE}{AB}.$$

**Sol.27 [C]**  $57 = 19 \times 3$   
 $95 = 19 \times 5$

**Sol.28 [C]** Given:  $\triangle ABC$  similar to  $\triangle DEF$

$$\therefore \frac{AB}{BC} = \frac{DE}{EF}$$

$$\therefore \frac{9}{6} = \frac{x}{12}$$

$$DE = x = 18\text{cm}$$

**Sol.29 [C]** diagonals of a parallelogram bisect each other.

**Sol.30 [B]**

**Sol.31 [C]** If  $\alpha + \beta = 90^\circ$  and  $\alpha = 2\beta$  then  $\beta = 30^\circ$  and  $\alpha = 60^\circ$

**Sol.32 [B]** Given:  $\sec \theta + \tan \theta = \sqrt{3}$  .....(1)

We know  $\sec^2 \theta - \tan^2 \theta = 1$   
 $(\sec \theta - \tan \theta)(\sec \theta + \tan \theta) = 1$

$$\sec \theta - \tan \theta = \frac{1}{\sqrt{3}} \quad \text{.....(2)}$$

When we add (1) and (2)

$$\text{We get } \sec \theta = \frac{2}{\sqrt{3}}$$

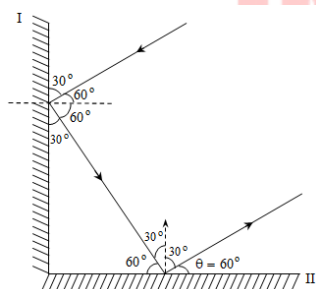
$$\text{So } \theta = 30^\circ$$



**MODERATE LEVEL**

**PHYSICS**

**Sol.33 [C]**



**Sol.34 [A]**  $\frac{1}{z} = \frac{1}{y} + \frac{1}{x}$  using mirror formula

$$\frac{1}{z} = \frac{x+y}{xy} \Rightarrow z = \frac{xy}{x+y}$$

taking reciprocal

**Sol.35 [D]**  $\lambda = 589 \text{ nm}$  speed of light in air  $C = 3 \times 10^8 \text{ m/s}$ , Air  $n_1 = 1$

$$\text{speed of light in water } (v_2) = \frac{c}{n_2} = \frac{3 \times 10^8}{1.33} = \frac{300}{133} \times 10^8$$

$$v_2 = 2.256 \times 10^8 \text{ m/s}$$

**Sol.36 [A]** Water  $n_2 = 1.33$  Frequency =  $\frac{\text{speed}}{\text{wave length}} \Rightarrow f = \frac{3 \times 10^8}{589 \times 10^{-9}} = \frac{3}{589} \times 10^{17}$

$$f = 0.00509 \times 10^{17}$$

$$f \approx 5.1 \times 10^{14} \text{ Hz}$$

As we know that when a ray of light goes from one medium to another medium of different optical density then its speed & wave length changes but frequency remains same, as frequency of light is the property of source of light.

$$\text{Using } f = \frac{v}{\lambda} \Rightarrow$$

$$\lambda_2 = \frac{v_2}{f} = \frac{2.256 \times 10^8}{5.1 \times 10^{14}} = \frac{2256}{51} \times \frac{10^9}{10^{17}} \Rightarrow \frac{2256}{51} \times 10^{-8}$$

$$\lambda_2 = 44.235 \times 10^{-8} \Rightarrow \lambda_2 \approx 442.4 \text{ nm}$$

**Sol.37 [A]**

**Sol.38 [B]** Object distance ( $u$ ) =  $-\infty$ , Image distance ( $v$ ) =  $-1.5\text{m}$   
using lens formula

$$\frac{1}{f} = \frac{1}{v} - \frac{1}{u} \Rightarrow f = -1.5\text{M, use } P = \frac{1}{f} = P = \frac{1}{-1.5} \Rightarrow P = -0.66\text{D}$$

## CHEMISTRY

**Sol.39 [C]** (i) Oxydising agent (ii) Oxidation (iii) Reduction (iv) Reducing agent

Here the oxidation of Cu in CuO is +2. It is reduced to Cu having oxidation state of zero. So, CuO is an oxidising agent. The process iii is a reduction step.

The H<sub>2</sub> having zero oxidation is oxidized to H<sub>2</sub>O where the oxidation state of H<sup>+</sup> is +1. So, the process ii is oxidation step. (iv) show reduction on CuO so it is reducing agent.

**Sol.40 [C]** In the given reaction, there is addition of oxygen to iron metal and it is oxidised. Also, there is removal of hydrogen from the water and thus, water is reduced. And H<sub>2</sub>O shows oxidation on iron so it act as oxidising agent.

**Sol.41 [C]** Concept: When heat is released (Exothermic process) surrounding gets warm means temperature rises. When heat is absorbed (Endothermic process) surrounding gets cold means temperature falls.

**Sol.42 [C]** Bulb will glow because NaOH is a strong base and furnishes ions for conduction. Because electricity conduct by ions and NaOH dissociate into ions.

**Sol.43 [B]** Because metal have positive charge and electron deficient so it gain electron from cathode.

**Sol.44 [C]**

## BIOLOGY

**Sol.45 [C]**

**Sol.46 [B]**

**Sol.47 [A]**

**Sol.48 [A]**

**Sol.49 [C]**

**Sol.50 [C]**

**Sol.51 [B]**

**Sol.52 [C]**

**Sol.53 [D]**

**Sol.54 [C]**

**Sol.55 [B]**

**Sol.56 [C]**

**MATHS****Sol.57 [A]**

$\triangle ALO \sim \triangle DMO$  (AAA rule)

Hence,  $\frac{AO}{OD} = \frac{AL}{DM}$  (Corresponding sides)...(I)

Area of triangle =  $\frac{1}{2}$  base  $\times$  height

$$\frac{\text{Ar}(\triangle ABC)}{\text{Ar}(\triangle DBC)} = \frac{\frac{1}{2}BC \times AL}{\frac{1}{2}BC \times DM}$$

$$\frac{\text{Ar}(\triangle ABC)}{\text{Ar}(\triangle DBC)} = \frac{AL}{DM}$$

$$\frac{\text{Ar}(\triangle ABC)}{\text{Ar}(\triangle DBC)} = \frac{AO}{OD} \text{ (from I)}$$

**Sol.58 [B]** Let the number be 'N'.

Now N, when divided by 24, 32 & 42 leaves remainder 5.

In other words, (N-5) will be completely divisible by 24, 32 and 42 and the least as well.

So, (N-5) has to be the LCM of 24, 32 & 42.

LCM (24, 32, 42) = 672 = (N-5)

So, N = 677

**Sol.59 [A]** we know  $a < 0$  when graph is downward of a quadratic equation, and sign of a & c are opposite when one root is positive and other is negative.

**Sol.60 [C]**

$$\begin{aligned} s_n - 2s_{n-1} + s_{n-2} &= (s_n - s_{n-1}) - (s_{n-1} - s_{n-2}) \\ &= a_n - a_{n-1} \quad [ \because (s_n - s_{n-1}) = a_n ] \\ &= [a + (n-1)d] - [a + (n-2)d] \\ &= a + nd - d - a - nd + 2d \\ &= d \end{aligned}$$

**Sol.61 [C]** Two dice are rolled simultaneously, then Total outcomes =  $6 \times 6 = 36$

Total cases prime number on both the dice = (2,2),(2,3),(2,5),(3,2),(3,3),(3,5),(5,2),(5,3),(5,5)=9

Therefore,

Probability P(E) = (Favourable outcomes) / (Total outcomes)

$$= 9/36$$

$$= 1/4$$

**Sol.62 [B]** Let A, B, C are three men and P, Q are 2 women Total sample space of selecting two person is (A, B) (A, C), (A, P), (A, Q), (B, C), (B, P), (B, Q), (C, P), (C, Q), (P, Q)

**Sol.63 [B]** we know when graph of quadratic polynomial is below x Axis then  $a < 0$  and  $c < 0$

**Sol.64 [D]** Let P be a point on AB such that, PC is at right angles to the Line Joining the centers of the circles. Note that, PC is a common tangent to both circles.

This is because tangent is perpendicular to radius at point of contact for any circle.

let  $\angle PAC = \alpha$  and  $\angle PBC = \beta$ .

$PA = PC$  [lengths of the tangents from an external point C]

In a triangle CAP,  $\angle PAC = \angle ACP = \alpha$

similarly  $PB = CP$  and  $\angle PCB = \angle CBP = \beta$

now in the triangle ACB,

$\angle CAB + \angle CBA + \angle ACB = 180^\circ$  [sum of the interior angles in a triangle]

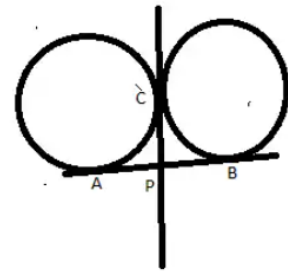
$\alpha + \beta + (\alpha + \beta) = 180^\circ$  (Since  $\angle ACB = \angle ACP + \angle PCB = \alpha + \beta$ .)

$2\alpha + 2\beta = 180^\circ$

$\alpha + \beta = 90^\circ$

$\therefore \angle ACB = \alpha + \beta = 90^\circ$

the answer will be option D



**Sol.65 [D]** Object distance ( $u$ ) = -25 cm, Image distance ( $v$ ) = -40cm  
using lens formula

$$\frac{1}{f} = \frac{1}{v} - \frac{1}{u} \Rightarrow f = 2/3m \quad \text{use } P = \frac{1}{f} \Rightarrow P = \frac{1}{2/3} = \frac{3}{2} \Rightarrow P = +1.5D$$

**Sol.66 [C]** Critical angle for glass-liquid pair  $\longrightarrow n_1 \sin C = n_2 \sin 90^\circ \Rightarrow \frac{3}{2} \sin C = n(1) \Rightarrow \sin C = \frac{2n}{3}$

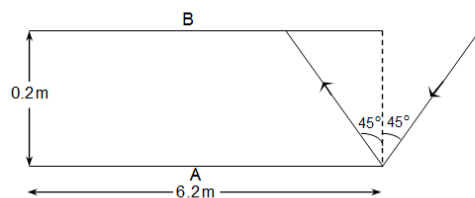
For T.I.R. on face AC,  $i \geq C$  we have  $i = 60^\circ$

So  $\sin 60^\circ \geq \sin C$

$$\frac{\sqrt{3}}{2} \geq \frac{2n}{3} \Rightarrow n \leq \frac{3\sqrt{3}}{4}$$

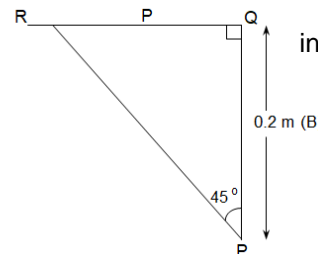
MAGNET

**Sol.67 [D]**



$$\text{no. of reflections } n = \frac{6.2m}{0.2m}$$

$$n = \frac{62}{2} = 31$$



in right angle  $\Delta PQR$

$$\tan 45^\circ = \frac{P}{B} = \frac{P}{0.2}$$

$$P = 0.2 \tan 45^\circ$$

$$P = 0.2 (1)$$

$$P = 0.2 m$$

**Sol.68 [D]**  $\text{pH} = \log \frac{1}{[H^+]}$  when value of  $[H^+]$  increase pH value decrease.

**Sol.69 [A]** Because acid react with metal and metal carbonate fast as comparison base, so HCl shows rapid evolution of gas as comparison NaOH.

**Sol.70 [C]** Cathode is that electrode which connect with negative terminal of battery.

Anode is that electrode which connect with positive terminal of battery.

Cation is that ion which have positive charge and move towards cathode

Anion is that ion which have negative charge and move towards anode.

## BIOLOGY

**Sol.71 [A]**

**Sol.72 [B]**

**Sol.73 [B]**

**Sol.74 [A]**

**Sol.75 [C]**

**Sol.76 [B]**

**DIFFICULT LEVEL**

**Sol.77 [C]**

$$1^2 - 2^2 + 3^2 - 4^2 + 5^2 - 6^2 + \dots + (2n-1)^2 - (2n)^2$$

We have,  $a^2 - b^2 = (a-b)(a+b)$

$$1^2 - 2^2 + 3^2 - 4^2 + 5^2 - 6^2 + \dots + (2n-1)^2 - (2n)^2$$

$$= (1-2)(1+2) + (3-4)(3+4) + \dots + (2n-1-2n)(2n-1+2n)$$

$$= (-1)(1+2) + (-1)(3+4) + \dots + (-1)(2n-1+2n)$$

$$= -1[1+2+3+4+\dots+2n-1+2n]$$

$$= -1\left[\frac{2n(2n+1)}{2}\right] \quad [\because 1+2+3+\dots+x = \sum x = \frac{x(x+1)}{2}]$$

$$= -n(2n+1)$$

Hence, sum of the series =  $-n(2n+1)$

**Sol.78 [B]**

Assuming the cyclist speed without the wind =  $a$  and the wind speed =  $b$

$$\text{Then } \frac{1km}{a+b} = 3 \Rightarrow a+b = \frac{1}{3}$$

$$\frac{1km}{a-b} = 4 \Rightarrow a-b = \frac{1}{4}$$

Adding both the equations, we get  $2a = \frac{1}{3} + \frac{1}{4}$

$$\Rightarrow a = \frac{7}{24}$$

$$\text{Time taken to cover 1 km} = \frac{1 \text{ km}}{a} = \frac{1 \text{ km}}{\frac{7}{24}} = \frac{24}{7} = 3\frac{3}{7}$$

**Sol.79 [B]**

$$\Rightarrow 2x^2 + kx - 5 = 0$$

$$\alpha + \beta = -\frac{k}{2}, \alpha\beta = -\frac{5}{2}$$

$$\rightarrow x^2 - 3x - 4 = 0$$

$$\Rightarrow x^2 - 3x - 4 = 0$$

$$\Rightarrow x^2 - 4x + x - 4 = 0$$

$$\Rightarrow x(x-4) + 1(x-4) = 0$$

$$\therefore \alpha = -1, \beta = 4$$

If common root is  $-1$ ,

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$$\therefore \beta = \frac{5}{2}$$

$$\therefore k = -3$$

If common root is 4

$$\beta = -\frac{5}{8}$$

$$\therefore k = -\frac{27}{4}$$

**Sol.80 [D]**

$$\text{Given } x = \sec \theta - \tan \theta = \frac{1 - \sin \theta}{\cos \theta}$$

$$y = \operatorname{cosec} \theta + \cot \theta = \frac{1 + \cos \theta}{\sin \theta}$$

$$xy + 1 = \left( \frac{1 - \sin \theta}{\cos \theta} \right) \left( \frac{1 + \cos \theta}{\sin \theta} \right) + 1 = \frac{1 - \sin \theta + \cos \theta}{\sin \theta \cos \theta}$$

$$= \frac{(\sin^2 \theta + \cos^2 \theta)}{\sin \theta \cos \theta} - \frac{(\sin \theta - \cos \theta)}{\sin \theta \cos \theta}$$

$$= (\tan \theta + \cot \theta) - (\sec \theta - \operatorname{cosec} \theta)$$

$$= (\operatorname{cosec} \theta + \cot \theta) - (\sec \theta - \tan \theta) = y - x$$

$$\therefore xy + 1 = y - x$$

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**SECTION - B**

### MENTAL ABILITY

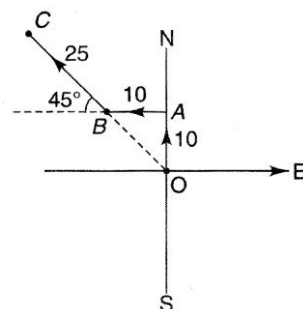
**Sol.81 [A]**

**Sol.82 [A]**

**Sol.83 [B]** Each letter of the word MYSTIFY is moved one step forward to obtain the corresponding letter of the code.

**Sol.84 [D]** From 2<sup>nd</sup> and 3<sup>rd</sup> statements, we can find the code for 'home'. To find the code for 'they', we need the code for 'go' which can not be determined from the data. Thus data is inadequate to find the code for 'they'.

**Sol.85 [B]** Rohit originally is facing but he turns to his left from O. Here onwards his travel plans are shown in the diagram. He is finally at C which is North-west with respect to his starting point O.



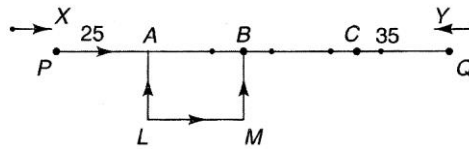
**Sol.86 [A]** The route Bus X is P → A → L → M → B.

Clearly PB = 50 kms

Bus Y travels along the route Q → C.



The distance between the two buses X and Y is  $BC = 120 - (50 + 35) = 35$  kms.



**Sol.87 [C]** Sohan's son's uncle means Sohan's brother. So, the old man's son is Sohan's brother, i.e. the old man is the father of Sohan. The answer is (C).

**Sol.88 [D]** Studying the statements carefully, we find that B is the brother of A and A's son is the brother of D, so D is the daughter of A. Since C and D are sisters, so C is also the daughter of A. Thus B is the uncle of C.

**Sol.89 [B]**

**Sol.90 (A OR D)**

**Sol.91 [D]**

**Sol.92 [B]** As 1990 was not a leap year, it would have one odd day. Thus, the same date in the following year would fall on Tuesday.

**Sol.93 [B]** Number of odd days in 1600 years = 0

Number of odd days in 300 years = 1

Number of leap years in 46 years = 11

Number of odd days in 46 years = 35

$11 \times 2 + 35 \times 1 = 22 + 35 = 57 = 1$

Number of odd days in year 1980 up to 15th August =  $31 + 28 + 31 + 30 + 31 + 30 + 31 + 15 = 227 = 1$

Total number of odd days =  $1 + 1 + 3 = 5$

Therefore, the day on 15th August, 1947 was Friday.

**Sol.94 [B]** In this figure there are 21 columns containing 2 cubes each, 4 columns containing 1 cube each, So,  $(21 \times 2) + (4 \times 1) = 46$

**Sol.95 [D]** If first figure cube is rotated anticlockwise then it will look like third figure, so opposite to number 2, it is number 5.

**Sol.96 [C]** From figures-1 and 2 only we can see that opposite to face with number 6 is number 1.

**Sol (97-100):**

	Place of Stay	Subject
P	PG	English
Q	Home	Statistics / History
R	Home	Philosophy
S	Hostel	Physics
T	PG	Maths
U	Hostel	Statistics / History

**Sol.97 [D]**

**Sol.98 [A]**

**Sol.99 [B]**

**Sol.100 [C]**